



University of Augsburg  
Prof. Dr. Hans Ulrich Buhl  
Research Center  
Finance & Information Management  
Department of Information Systems  
Engineering & Financial Management

**UNIA**  
Universität  
Augsburg  
University

Discussion Paper WI-299

## Product Differentiation for Software-as-a-Service Providers

by

Arne Katzmarzik

appears in: Business & Information Systems Engineering 2 (2011) 1



## **Product Differentiation for Software-as-a-Service Providers**

### **Abstract**

The market for the new provisioning type Software-as-a-Service (SaaS) has reached a significant size and still shows enormous growth rates. By varying size of SaaS products, providers can improve their market position and profits by successfully acting in the tension area of customer acquisition, pricing and costs. We firstly elaborate differences concerning product differentiation between classic software provisioning models and SaaS. Secondly, we introduce a micro-economic based decision model to maximize the return of a provider by finding an optimal granularity, i.e. by varying the size of services. This paper makes two contributions in this context: (1) it provides a conceptual foundation for product differentiation within the scope of SaaS and (2) it presents the first implementation of variable reproduction costs for web based software offers. The model is illustrated by a real world case with data from a SaaS provider.

### **Keywords**

Software-as-a-Service, Product differentiation, Service granularity, Decision model

## **Produktdifferenzierung für Software-as-a-Service-Anbieter**

### **Keywords**

Software-as-a-Service, Produktdifferenzierung, Service-Granularität, Optimierungsmodell

### **Teaser**

Product differentiation for SaaS based offered software bears potential for both customers and providers. We present a micro-economic based model to show the effects of product differentiation for this new type of software provisioning. By formalizing concepts of product differentiation for SaaS, this article shall establish basic understanding and form the foundation for further research. Furthermore, the model provides evidence that reproduction costs, which have mostly been neglected in related quantitative software versioning literature so far, can have significant influence on both the optimal sales volume and service size in the context of SaaS.

## 1 Introduction

Progress in information technology (IT) such as the service-oriented architecture (SOA) paradigm and advances in web based communication facilitate new types of software provisioning such as web services (Papazoglou et al. 2007). Enabled by web services technologies, the *service-oriented software provisioning* (SSP) model “Software-as-a-Service” (SaaS) allows integrating standard software into online service infrastructure (Cheng et al. 2006, p. 521; Lehmann and Buxmann 2009). Customers may easily rent functionality and use this software via web clients instead of running licensed software on their own IT infrastructure. SaaS bears advantages for both providers and customers. SaaS providers can primarily profit from economies of scale by addressing more customers (Walsh 2003; Sääksjärvi et al. 2005). Advantages for customers are e.g. lower IT procurement costs or faster access to new technology, functionality and upgrades (Walsh 2003; Susarla et al. 2009, p. 207). Thus, this emerging market will attract more and more customers and has already reached a significant size of \$ 9.6 bn, still shows two-digit annual growth rates and is predicted to grow up to \$ 16 bn in 2013 (Gartner 2009). In particular providers can profit from this market development. However, they must diversify their offer to be attractive for both existing and new customers. The concept of product differentiation may lead to a win-win situation for both providers and customers. Therefore, a decision support model considering both customers’ and providers’ needs as well as the characteristics of SaaS is crucial.

The objective of this paper is to contribute to close this identified gap by developing a normative approach to support decisions starting out with the perspective of a monopolistic SaaS provider. In the introduced model, a provider can maximize its return by changing the granularity of its offered services, i.e. it can spread the functionality on several smaller services instead of offering all in one monolithic service. Starting out with micro-economic theory and the information systems (IS) research stream of software versioning - or in the following just *versioning*, our scientific contribution is two-fold: First, based on the ideas of versioning, we discuss if models from this stream can be applied to SaaS and lay a conceptual foundation for product differentiation for SaaS by introducing a model based on the demand curve which is extended by characteristics of SaaS. Second, we elaborate from literature that variable reproduction costs – in contrast to *classic software provisioning* (CSP) – cannot be neglected for SaaS and integrate these costs into our model, what has not been state of the art so far. To improve comprehensibility, the model is illustrated by studying a real world case with data from a major provider.

The remainder of this text is organized as follows: In section 2, we give an overview of related literature. Additionally, this section lays the conceptual fundament for this paper (including the definition of important terms). In section 3, the decision model is presented, analyzed and illustrated by an operationalization. After a discussion in section 4 we conclude in section 5.

## 2 Product differentiation of software goods

Product differentiation can be separated into two dimensions, vertical and horizontal differentiation (Cremer and Thisse 1991). *Vertical differentiation* refers to offering a good in multiple versions each differing in size and price (Bhargava and Choudhary 2001). *Horizontal differentiation* refers to offering a good disjoint in parallel independent versions to address customers who request only specific parts (Weber 2008). As SaaS includes characteristics of both dimensions as we shall see below, we provide an integrated view on both dimensions and generally speak of product differentiation. This concept has been applied in the stream of version-

ing for IS goods, and there mostly for *CSP*, i.e. where customers purchase software from a provider as installation package and are themselves responsible for running it (Phillips 2009). Thus, we start our examination with an overview of effects and literature on application of product differentiation for *CSP* in 2.1. We discuss their applicability on *SSP* models and in particular *SaaS* in 2.2. We conclude this section with a review of related work and point out the need for further research on decision support in 2.3.

## 2.1 Effects of and literature on product differentiation

Demanders of software functionality are heterogeneous in demand for functionality and willingness to pay (WTP) (Jing 2000). By differentiating software products, providers may try to adjust their software to be more customer specific and thus may address more differing demanders to extend sales (Shapiro and Varian 1998). Due to the characteristics of standard software, customers usually do not require all functionality included in an offer (Raghunathan 2000). As product differentiation enables purchasing only parts of the functionality instead of the whole, customers who would have purchased the whole if this is offered exclusively, but only have demand for parts of the functionality, can purchase only the parts they actually require (Bhargava and Choudhary 2001). This may result in a decreasing total amount of sold functionality.

Pricing is another important aspect when being faced with customers of heterogeneous demand and WTP. Standard software usually contains parts of functionality which customers do not require, but customers are forced to buy these not required parts (Raghunathan 2000). Hence, available budget has to be spent both on required and not required functionality. Though, customers are only willing to pay for required functionality as using this generates added value. Product differentiation allows offering functionality in smaller parts instead of one holistic version. This ideally allows customers to obtain exactly the functionality requested, i.e. which is perfectly fitted to their *specific demand* (Choudhary et al. 2005). As the WTP of customers depends on their specific demand (Weber 2008), the total budget is (nearly) not affected if not requested functionality is not included. Therefore, providers may attain *higher prices per piece of functionality* if an offer is more demand specific. Thus, providers must carefully trade off between the effects of attainable prices and acquisition of new customers against the possibility of selling in sum less functionality.

Product differentiation also has effects on costs. First, software products have to be made accessible for customers and thus providers have reproduction costs (Varian 1997). As product differentiation may positively affect the number of customers, reproduction costs usually increase. Furthermore, the total functionality has to be cut into inferior or parallel versions which causes effort for splitting up functionality and offering new packages (Weber 2001). Therefore, a higher degree of product differentiation is leading to increasing costs.

Literature on differentiating *CSP* products goes even beyond finding an optimal number of versions in the tension area of the mentioned basic effects: Examinations have been conducted in more specific contexts such as competition (Jones and Mendelson 2005; Wei and Nault 2006), licensing in software contracts (Zhang and Seidmann 2002), interorganizational systems (Nault 1997), free download policies (Cheng and Tang 2010), network externalities (Jing 2000), and fighting digital piracy (Chellappa and Shivendu 2005). In the following, we discuss if the basic effects can be simply transferred to *SaaS*.

## 2.2 Special Characteristics of *SaaS*: Modeling Issues

To elaborate differences between *CSP* and the *SSP* model *SaaS*, we have to give our perception of this uprising provisioning type: *SaaS* refers to a software provisioning model where a

standard software application is hosted on an internet accessible server (Lehmann and Buxmann 2009). Thereby, customers rent an application from a provider on a per-use or per-period basis, and the provider itself is responsible for delivering, securing and managing application, data and underlying infrastructure (Kaplan 2007). Thus, SaaS bundles software functionality with infrastructure services (Fan et al. 2009, p. 661). At this point, we have to clarify that we do not examine the effects of splitting the bundle of functionality and infrastructure, instead we want to examine effects of splitting functionality into its parts.

Valente and Mitra (2007) state that there are enormous differences in customer access to software functionality and responsibility of providers. Therefore, the presented models from the stream of versioning as well as the effects elaborated in versioning literature cannot simply be transferred to SaaS. We discuss differences between both provisioning types below and elaborate modeling issues that have to be considered in a decision model.

**Decision problem:** In models for CSP, providers offer a flagship version containing the total functionality and also inferior versions which are created by removing functionality from the flagship version (Bhargava and Choudhary 2001), or they offer several smaller parallel versions as independent products which could be re-bundled to a flagship version (Weber 2008). In SSP models, functionality is offered as service. A (*web*) *service* is a software artifact containing certain business functionality (Papazoglou and van den Heuvel 2007). According to the SOA paradigm, services can be integrated into applications and/or re-combined to applications. If functionality is offered very granular, i.e. it is split up into many small services, customizability and flexibility increase as many “versions” are possible. In those terms, Anderson (2006) describes the ideal of a highly granular SaaS offer: Customers may select exactly the functionality they require and so customize their ‘own service’ by compiling it from all available artifacts. At this point, we have to mention that product differentiation for SaaS is situated both in the vertical and the horizontal dimension since splitting allows on the one hand several inferior versions with less functions or features, but also on the other hand parallel versions with disjoint functions or features. However it still depends on characteristics of the functionality, if a product differentiation problem is situated in only one or both dimensions. Thus, the *service granularity* (or just *granularity*), which refers to the size of a service, is a viable instrument for differentiation of SaaS products (Haesen et al. 2008, p. 383). This leads to *Modeling Issue 1*: Adjusting granularity has to be considered in a model for SaaS instead of finding a number of versions to ensure full flexibility in differentiating SaaS products.

**Sales Volume:** Product differentiation allows addressing additional customers that are only interested in parts of the offered functionality. In versioning literature, this effect with impact on *sales volume*, i.e. the amount of sold functionality, is handled in two ways. Models of the first type such as Bhargava and Choudhary (2001) are built on assumptions that the sales volume will increase as additional customers buy inferior versions and the sale of the flagship version is not affected. Models of the second type such as Nault (1997) consider that customers which would buy the flagship version could choose an inferior version instead. The models of the latter type argue that the number of customers increases, but it is not guaranteed that the overall sales volume increases as only few customers may buy the flagship version and many customers only inferior versions. Since highly granular SaaS offers allow very high customizability, assumptions of the second type of models are more realistic and should be inherited: Therefore, both positive and negative variation of the sales volume should be considered in a model (*Modeling Issue 2*).

**Pricing:** In versioning models, pricing is based on WTP and specific demand of customers (Weber 2008, p. 448). These models usually have assumptions that additional value generated

for a customer may decrease with every further piece of functionality (Ghose and Sundararajan 2005), since the amount of not required functionality increases with larger offers. As SaaS is also standard software like the regarded software in versioning models, we postulate - referring to pricing aspects of versioning models (cp. 2.1) - that this assumption has to be inherited leading to *Modeling Issue 3*: The higher the granularity of SaaS offered functionality the more flexibly customers can select parts according to their specific demand. Customers can now directly spend their budget on requested functionality leading to higher attainable prices per piece of functionality.

**Costs:** Modifying products requires technical effort that also has to be considered in a holistic economic view. In versioning models, costs are separated into production and reproduction costs. Production costs on the one hand consist of costs for implementing functionality and maintenance (Banker et al. 1991), and on the other hand of *costs for granularity*: With increasing granularity, providers offer more services, i.e. functionality has to be cut into several modules, and also interfaces have to be provided. Interfaces must ensure that services can be accessed by customers or by other services which require their functionality (Krafzig et al. 2005). Furthermore, granular services must be composed in a way that they can work together in order to rebuild business processes (Arsanjani et al. 2008). Heinrich and Fridgen (2005) state that for  $m$  services at least  $m$ , i.e. a single interface per service, but up to  $\frac{m \cdot (m-1)}{2}$  interfaces, i.e. all services are connected with each other, have to be provided. Thus, more services make implementing interfaces and their composition more complex and costly (Haesen et al. 2008) resulting in *Modeling Issue 4*: Costs for granularity increase with granularity, whereas costs for implementing functionality and maintenance are mostly independent of granularity.

Reproduction costs come up for making functionality accessible for customers. For CSP, vendors usually provide a copy on a data transfer medium or a download server, whereby these costs are of insignificant size and usually neglected in decision models (Bhargava and Choudhary 2001; Varian 2000). In contrast, a SaaS provider is responsible for hosting and running computations. The more functionality a provider sells, the more computations have to be conducted and there are higher are call frequencies of services and data transfer resulting in costs for infrastructure (Boerner and Goeken 2009). This causes communication and computing costs which are for SaaS of significant size (Lehmann and Buxmann 2009) resulting in *Modeling Issue 5*: Reproduction costs must be considered in a model for SaaS.

Since varying the granularity of SaaS shows enormous differences in contrast to versioning for CSP, we concentrate on the identified modeling issues in the following. Summarizing, Tab. 1 compares CSP and SSP based on the discussion above and gives examples for practical application.

**Tab. 1** Comparison between CSP and SSP based on the discussion

	CSP	SSP	
Sub-category		Web service	SaaS
<b>Definition</b>	Standard software offered as installation package. Running and hosting is independent of sales.	Functionality that can be integrated into applications according to the SOA paradigm. It is offered on an internet accessible server. Running and accessibility is ensured by the provider.	Provisioning strategy based on web service technology: Standard software (incl. frontend) is run, hosted and provided via internet.
<b>Examples</b>	Microsoft (MS) Office	Query of credit rating provided by rating agency	SAP-CRM-On-Demand, NetSuite ECOMMERCE (NSE)
<b>Implementation of product differentiation</b>	Versioning: Providers offer different versions to acquire new customers with a more demand specific offer. Reproduction costs per customer are neglectable small.	Granularity: Providers offer independent, but combinable services. With higher granularity, i.e. smaller and more services, customers may select functionality fitting to their specific demand, and thus more customers are addressed. Costs for cutting functionality, interfaces and service composition increase with higher granularity. Reproduction costs depend on communication and computing, and can be of significant size.	
<b>Examples of production differentiation</b>	Vertical: MS Office Professional, MS Office home Horizontal: MS Word, MS Excel	Vertical: Query is based only on data of few periods Horizontal: Query delivers additional information about subject	Vertical: NSE with constrained analysis functionality Horizontal: NSE Web Shop, NSE B2B

### 2.3 Related work on product differentiation of SSP and granularity

A lot of quantitative models for CSP stemming from the related research area of versioning exist, but cannot be applied to SaaS as discussed. With respect to the special characteristics of SaaS, Lehmann and Buxmann (2009) state there is a need for new pricing models for SaaS and following decision support. Though most articles dealing with SaaS are still of qualitative manner such as Benlian (2009), Benlian et al. (2009) or Mietzner and Leymann (2008), there are only few quantitative decision models concerning SaaS and the highly related area of web services, we analyze below.

Most of the existing research of this upcoming research stream is about competition and factors for offering services successfully on the market. For SSP, Cheng et al. (2006) and Fan et al. (2009) have examined the effects of provisioning strategies. Cheng et al. (2006) analyze three different SSP strategies for providers and investigate under which conditions these strategies are profitable. Fan et al. (2009) examine short- and long-term competition between providers of SaaS and CSP. With a game theoretical approach, the authors find that SaaS providers have to face high introduction costs in the short, but have advantages in the long run due to an increasing customer base. Both papers show the economic potential of SSP from a strategic perspective, but do not focus on details.

Another important success factor for SSP is the service level, i.e. the availability of offered functionality, as providers have to guarantee access to their functionality (Fan et al. 2009, p. 662). Zhang et al. (2009) examine effects on sales volume and pricing due to increasing service levels. Bhargava and Sun (2008) show how contingency pricing can be applied to IT services and find that customers are willing to pay higher prices dependent on the provided

service level. The mentioned papers provide evidence how providers can positively affect prices, but do not consider the granularity of services.

Erl (2005, p. 557) outlines that adjusting granularity is an important economic factor for web services and SOA. In a more detailed research on granularity, Haesen et al. (2008) elaborate three dimensions of decisions on granularity. The functionality dimension is about reducing production costs due to higher re-use share. The data dimension refers to reducing communication costs due to the amount of transferred data. Whereas the objective of both dimensions is reducing costs, the business value dimension is about increasing sales volume and addressing more clients. Holschke et al. (2009) consider granularity as decision variable in the functionality dimension. They examine which granularity is cost minimizing in reconstructing an existing IT system. In the business value dimension, Lee et al. (2006) present a versioning approach for web services. They examine how sales volume, aspired quality of a flagship service and the total costs are affected by a free inferior version, but the authors do not consider effects of chargeable inferior services. These papers focus on sizing and granularity, but consider only single of the relevant aspects (cp. Modeling Issues) instead of a holistic view.

Granularity of software has also been subject of research concerning the related area of components. Based on Parnas' (1972) work on modulization, and Szysperski's (1998) analysis on component technologies, research was about finding a suitable size of software modules. Such approaches on granularity either have a functional focus (Albani et al. 2003), i.e. clustering similar functionality, a technical focus (Kim and Chang 2004), i.e. how can a composition of modules or services to an application be made, and an economic focus (Wang et al. 2005), which aim to find a granularity in order to reduce costs in implementing systems. The economic approaches primarily focus on the cost dimension, but not the sales dimension.

Summarizing, we can state that there is a lack of quantitative research considering SaaS. Additionally, to the best of our knowledge, there is no publication that takes a holistic quantitative approach examining the granularity of SaaS considering sales volume, pricing and technical aspects. Thus, we aim to fill this research gap by developing a model considering the elaborated modeling issues.

### **3 A model supporting product differentiation decisions for SaaS providers**

We now present a micro-economic model to support granularity decisions on SaaS products. We introduce the general form of our model and the underlying basic assumptions in subsection 3.1. This is followed by a simplified model with assumptions concerning behavior of the market and production costs to show fundamental relationships in subsection 3.2. Here, we present an analytical solution and operationalize our model with a real world case serving as running example in the following. In subsection 3.3, we extend the simplified model by variable reproduction costs (cp. Modeling Issue 5).

#### **3.1 General form of the model**

##### ***Basic assumptions and notation***

The theoretical fundament of the model is formed by the demand curve representing the relation between prices and sales volume (Varian 2009) as well as the identified Modeling Issues based on the literature review. To set up the demand curve, we have to make two assumptions:

*Assumption 1: In our one-period model, a monopolistic SaaS provider offers functionality, namely the amount  $F$  measured in size units (SU)<sup>1</sup>. Originally, the functionality is implemented as coherent block and offered in one piece to  $N$  customers. Each customer may either buy or not. In addition, there is a technical module required to run the functionality. This technical module is not included in  $F$  and its price is included in using the functionality.*

Thus, the maximum demand  $Q$ , i.e. the quantity of salable functionality, is the product of offered amount and maximum number of customers ( $Q=F*N$ ). For reasons of simplicity, we consider  $Q$  instead of its calculation ( $F*N$ ) in the following.

*Assumption 2: The market for selling one single service comprising the whole functionality is given by a demand curve depending on the price  $p$ . The demand curve is continuous and linear, has a negative slope, is characterized by the maximum demand  $Q$ , and the market parameter  $\beta$ .*

With both assumptions, the price for each possible demand  $x$  from 0 to  $Q$  can be calculated.

This relation is now enhanced by granularity aspects elaborated in the literature review. According to Modeling Issue 1, the provider also can offer the functionality in several more granular services to improve profits:

*Assumption 3: The functionality can be cut into  $M$  services of same size  $FS (= \frac{F}{M})$ . Services are not overlapping. The technical module can be used with any service combination without modification.*

Based on this assumption, we can introduce the decision variable degree of granularity  $g \in [0;1[$  as normalization and measure of the functional size, whereby  $g=0$  refers to no granularity and higher values of  $g$  refer to more granular services.

As identified in Modeling Issue 2, offering not all SU in one, but in several more granular services, may help to acquire new customers ( $N$  increases). As services become smaller, this bears the risk that customers may only purchase services containing actually required functionality (less than all offered  $F$  SU).

*Assumption 4: The maximum demand may vary dependent on granularity.*

With higher granularity the more flexible customers can select functionality and the better is the fit to the specific demand. Thus customers can more directly spend their budget on required functionality as they only want to pay for this. According to Modeling Issue 3, following relation between prices and granularity is assumed:

*Assumption 5: The price per SU increases with higher granularity.*

We now can introduce the function  $h(g)$  representing the increase in price per SU subject to the degree of granularity. According to Assumptions 4 and 5, the provider can influence the market, namely the maximum demand and the attainable price, by modifying the granularity of its services.

These modifications have effects on the total costs (denoted by  $C$ ) consisting of production and reproduction costs. Production costs consist of costs for implementing and maintaining functionality (denoted by  $C_p$ ) and costs for granularity (denoted by  $C_g(g)$ ), i.e. for splitting the functionality up into more services and for interfaces. To satisfy Modeling Issue 4, we assume:

---

<sup>1</sup> Let a SU be a general measure for a size of software. Applying the model, this measure should be replaced by a software metric such as the Function Point Analysis or COCOMO.

*Assumption 6: Implementation and maintenance costs are fixed. Costs for granularity increase with higher granularity.*

To ensure Modeling Issue 5, we consider reproduction costs  $C_r(x)$  due to higher communication and computing effort:

*Assumption 7: Reproduction costs depend on the amount of sold functionality.*

With these assumptions on market and costs, we can develop a model in which a provider can determine the optimal degree of granularity in order to maximize its return.

### **Model Development**

In the first part of this subsection, we develop our optimization model for determining the optimal number of SU to sell. In the second part, we integrate effects of granularity into the model.

The actual number of sold SU can be written by the demand curve. According to microeconomic theory, this figure can be calculated as difference of the maximum demand, and the product of price per SU and market parameter  $\beta$  measuring the impact of the price. Thus, prices and sales volume correlate negatively (Varian 2009):

$$1) \quad x(p) = Q - \beta \cdot p$$

By inverting, the price can be written as function of the demand:

$$2) \quad p(x) = \frac{Q - x}{\beta}$$

Though it is more intuitive from an entrepreneur's point of view setting price instead of setting demand, we take the latter perspective (equation 2)) as it is mathematically easier to process and the model development is easier to follow. The return can be calculated as a product of price and sold SU minus costs:

$$3) \quad R(x) = \frac{Q - x}{\beta} \cdot x - C$$

Equation 3) can be employed to calculate the return, if all functionality is offered in one single service, i.e.  $FS=F$ . Now we model the effects of granularity, i.e.  $FS < F$ . According to Assumption 3, we introduce the degree of granularity, which can be calculated in two ways: as a relation of the offer share, i.e. the size per service over the total amount of offered functionality, and alternatively, depending on the number of services. To be more intuitive,  $g=0$  shall refer to no (zero) granularity.

$$4) \quad \begin{aligned} g = g(FS) &= 1 - \frac{FS}{F} \Rightarrow g \in \{1 - \frac{FS}{F} \mid FS \in IN\} \quad \vee \\ g = g(M) &= 1 - \frac{1}{M} \Rightarrow g \in \{1 - \frac{1}{M} \mid M \in IN\} \end{aligned}$$

In contrast to factual correct values as written by eq. 4), we model  $g$  to take every value in the interval  $[0;1[$ , i.e.  $0 \leq g < 1$ . This mathematical simplification allows a continuous objective function and thus an analytical analysis. In the following, we dissolve this conflict in the operationalization by showing factual correct optimal results according to eq. 4).

The degree of granularity has effects on the parameters of the return function. According to assumptions 4-7, the fixed maximum demand  $Q$  is replaced by the granularity dependent maximum demand  $Q(g)$ . The price (equation 2)) is multiplied with the price advance function

$h(g)$ . The total costs are the sum of production and reproduction costs and are written as  $C=C_p+C_g(g)+C_r(x)$ .

As granularity has effects on the mentioned parameters and as these parameters are multiplied with the demand  $x$  in the return function, demand and degree of granularity are dependent. Thus, there is a return maximizing demand which itself depends on the granularity and is denoted by  $x^*(g)$ . In the following, this relation is always employed instead of the variable  $x$ . By integrating these effects, the return function (equation 3)) can be written depending on  $g$  and is used as objective function:

$$5) \quad R(x^*(g), g) = \frac{Q(g) - x^*(g)}{\beta} \cdot h(g) \cdot x^*(g) - C_p - C_g(g) - C_r(x^*(g)) \rightarrow \max!$$

$$0 \leq g < 1$$

By concretizing this general form of the objective function, we will now examine the effects of granularity.

### 3.2 Basic decision model

Based on the general form, we define a simplified setting that enables an analytical examination of the fundamental effects caused by granularity. We therefore assume that granularity causes linear changes on the model parameters demand, price and costs for granularity. Additionally, in *this stage* of the model, we still assume that reproduction costs are fixed as in CSP models. Based on the ancestor assumptions of the previous subsection and replacing them, we make new simplified assumptions:

*Assumption 4.1: The maximum demand may increase, stagnate or decrease, and is expected to vary linearly on the modification factor  $\eta$  with increasing degree of granularity.*

$$6) \quad Q(g) = Q \cdot (1 + \eta \cdot g)$$

*Assumption 5.1: The price per single SU increases linearly by the modification factor  $\gamma > 0$  with increasing degree of granularity.*

$$7) \quad h(g) = 1 + \gamma \cdot g$$

*Assumption 6.1: Costs for implementing and maintaining functionality are fixed (denoted by  $PC$ ). Costs for granularity increase linearly up to the maximum extent  $GC$ .*

$$8) \quad C_p = PC \quad \wedge \quad C_g(g) = GC \cdot g$$

*Assumption 7.1: Reproduction costs consist of a fixed cost block  $RC$  and neglectable variable costs.*

$$9) \quad C_r(x^*(g)) = RC$$

With these new assumptions, the objective function can now be written as:

$$10) \quad R(x^*(g), g) = \frac{Q \cdot (1 + \eta \cdot g) - x^*(g)}{\beta} \cdot (1 + \gamma \cdot g) \cdot x^*(g) - PC - GC \cdot g - RC \rightarrow \max!$$

$$0 \leq g < 1$$

To obtain a relation  $x^*(g)$  between optimal demand and granularity, we set the 1<sup>st</sup> partial derivative of the return function with respect to the demand to 0. By solving the resulting equa-

tion for the demand and checking the 2<sup>nd</sup> order condition, we can write the return maximizing demand as a function of the degree of granularity (Simon and Blume 1994, cp. App. A):

$$11) x^*(g) = \frac{Q \cdot (1 + \eta \cdot g)}{2}$$

Inserting this relation into equation 10), the optimization problem is written as:

$$12) \quad R(g) = \frac{Q^2 \cdot (1 + \eta \cdot g)^2}{4 \cdot \beta} \cdot (1 + \gamma \cdot g) - PC - GC \cdot g - RC \rightarrow \max!$$

$$0 \leq g < 1$$

### **Model analysis**

We now examine the model analytically and deduce general statements on the model parameters. As the maximum demand may increase, stagnate or decrease due to changes of granularity, two cases have to be considered. Before stepping into the analysis, we can state that providers should abstain from offering granular services, if costs for granularity are very high and exceed possible additional income. This is true for both of the following cases.

**Case 1:** Maximum demand increases or stagnates with increasing granularity ( $\eta \geq 0$ )

Very simple and intuitive statements can be deduced for this case. With increasing granularity, prices will increase and the demand will stagnate or increase. As income (as product of prices and demand) will always increase, if more granular services are offered, providers should always pick the maximum degree of granularity.

**Case 2:** Maximum demand decreases with increasing granularity ( $\eta < 0$ )

With increasing granularity, prices will increase and the maximum demand will decrease. Thus, in contrast to Case 1, the maximum income and thus the degree of granularity may be situated anywhere in the feasible interval. We now derive the optimal degree of granularity, whereby a more detailed derivation is shown in App. B.

To obtain a possible optimal degree of granularity, which we denote with  $\hat{g}$ , the 1<sup>st</sup> order condition for  $\hat{g}$  is:

$$13) \quad \frac{\partial R}{\partial g} = -\frac{\eta_d \cdot Q^2 \cdot (1 - \eta_d \cdot g) \cdot (1 + \gamma \cdot g)}{2 \cdot \beta} + \frac{\gamma \cdot Q^2 \cdot (1 - \eta_d \cdot g)^2}{4 \cdot \beta} - GC \stackrel{!}{=} 0 \rightarrow \hat{g}$$

The 2<sup>nd</sup> order condition also has to be satisfied for  $\hat{g}$  to determine a unique return maximum:

$$14) \quad \left. \frac{\partial^2 R}{\partial g^2} \right|_{g = \hat{g}} = -\frac{\eta_d \cdot \gamma \cdot Q^2 \cdot (1 - \eta_d \cdot g)}{\beta} + \frac{\eta_d^2 \cdot Q^2 \cdot (1 + \gamma \cdot g)}{2 \cdot \beta} \stackrel{!}{<} 0$$

Based on the 1<sup>st</sup> derivative, we can determine two possible optima, of which this one satisfies the 2<sup>nd</sup> order condition:

$$15) \quad \hat{g} = \frac{2}{3 \cdot \eta_d} - \frac{1}{3 \cdot \gamma} - \frac{\sqrt{\frac{4}{3} \cdot GC \cdot \beta + \frac{1}{9} \cdot Q^2 \cdot (\eta_d^2 + 2 \cdot \eta_d \cdot \gamma + \gamma^2)}}{\eta_d \cdot \gamma \cdot Q}$$

The parameter  $\eta$  has been substituted by  $\eta_d = -\eta$ . As now all parameters in the following equation are positive, the analysis is easier to follow.

As the decision variable is defined in an interval, the possible optimum has to be proved for feasibility and the position of  $\hat{g}$  has to be examined. If  $\hat{g}$  is situated within the interval, it is the optimal  $g^*$ . If  $\hat{g} \geq 1$ , one should select the maximum granularity. In case of  $\hat{g} < 0$  the return maximizing granularity is either at the lower *or* upper boundary (no *or* maximum granularity), thus both points have to be examined (cp. App. B).

These derivations and formulas (especially equation 15)) form the foundation for analyzing the real world case. At this point, we can deduce the following general statements concerning the behavior of the degree of granularity due to variations of the parameters.

The first findings concerning the parameters, that are directly conjunct with granularity, are very intuitive: Lower costs for granularity (lower GC) and a higher WTP for more specific functionality ( $\gamma$  increases) may lead to an increasing degree of granularity. In contrast, the more customers only request few specific modules ( $\eta_d$  increases (or  $\eta$  decreases)), the more should the degree of granularity decrease. Thus, by offering services of lower granularity, providers can ensure to sell a critical mass of SU by offering larger parts and by this force customers to buy more SU than requested. This is also true if large parts of the functionality are requested by the majority of customers and customers requesting only small parts must not be given much attention.

Even more interesting are general statements on given market parameters: A larger  $\beta$ , i.e. lower general WTP and more inelastic demand coming up with lower customers' reservation prices, would lead to lower granularity. This is generally due to lower attainable prices. Providers may try to compensate this with selling larger services containing more SU. Second, a larger market/higher maximum demand (larger Q) causes not only higher sales volume and prices (Varian 2009), but also higher granularity. This is due to rising income (since more functionality can be sold and prices would increase) in contrast to constant costs for granularity. Therefore, providers should try to influence the market size in a positive manner: Starting points would be e.g. a higher focus on customer relationship management (CRM) to support customer retention and acquisition, or expanding the amount of offered functionality to sell more SU per customer. However, it must be overhauled if there is demand for such expansions and if this demand is not already covered by another provider.

### ***Operationalization: Introduction of the real world case***

This case will serve as a running example to further illustrate the application of the model and is based on data of the SaaS provider IESP. Names as well as all identifying details are omitted and the business case data have been anonymized and slightly abridged for reasons of confidentiality.

Besides SaaS suites for CRM and financials, IESP offers an independent suite for employee resource management (ERM). Furthermore, there is a technical module running in the background and is required for all three suites. The real world case is based on data of this ERM functionality. Due to the very high functional maturity its ERM software nearly has an exclusive position on its SaaS market. The suite contains the modules self services for employees/managers, human resources management and document management.

IESP employs the software metric Function Point Analysis to measure the size as this method allows a detailed analysis (Albrecht 1979, Jones 2007). The functionality has been estimated to 20,000 function points with this method based on content and complexity of included functions. Based on historical data, implementation costs for function updates and maintenance are estimated to € 2.6 mn. Costs for providing incl. user support are estimated to € 400,000.

IESP has offered the ERM suite recently in a single service, but overthinks to change its strategy: By offering the functionality within more granular services, new customers shall be acquired demanding only certain parts of the whole ERM suite. The potential of such a strategic change has been evaluated with a market study which is based on internal data and purchased data from a market research institute.

IESP has internal data about recent customers, and potential customers which have been subject to acquisition in the last two years. This data comprises the number of requested user licenses, requested parts of the suite and WTP.

The data from the institute was based on a questionnaire in which developments of SaaS markets and its segments (e.g. CRM, ERM) were estimated and which was sent widely spread to large and medium-sized companies. For each segment, the questionnaire contained a list of functionalities that the requested software should provide. Participating firms were asked to mark functionality they require and to estimate the number of licenses. Furthermore, they should quantify the extent of WTP if they would buy software satisfying their requirements in large extent (e.g. standard software) or fully (e.g. customized software). Concerning the ERM functionality, the external data gives information about customers, potential sales volume of ERM subfunctions and attainable prices.

From the external data, IESP selected data concerning its target groups. This data was matched with internal data. Concerning demand, potential customers are segmented into five clusters (cp. Tab. 2), whereby clusters C1-C3 consist of potential customers for the already offered full version, C4 and C5 of new potential customers which are interested in parts of the suite and only could be addressed with services of higher granularity. For estimating the demand of C1-C3 primarily internal data was taken. As the external data shows higher sales potential, estimations were raised by a certain extent, but for reasons of safety not up to the full extent as predicted by the external data. For C4 and C5 external data was taken and modified by a safety reduction. Concerning WTP, lower and upper ranges result from data for each cluster. As the reservation price (RP) is derived from the maximal WTP, and resulting market prices in monopolies are usually lower than RP, for reasons of clearness only the upper range of the WTP is listed in Tab. 2.

IESP now has evidence about the potential number of users and their specific amount of required functionality as well as their maximum WTP for using the functionality. We also label every attribute with a symbol, as these figures are used to calculate the model parameters and the calculation is easier to follow. Costs for granularity, i.e. for spreading functionality on more services, are estimated to rise up to a maximum sum of € 175,000.

**Tab. 2** Annual market potential

Attribute	Symbol/ Calculation	Cluster c				
		C 1	C 2	C 3	C 4	C 5
Number of customers [users/year]	$N_c$	1,000	1,500	2,500	3,000	4,000
Required functionality [%]	$REQ_c$	100%	65%	50%	25%	15%
Required functionality [SU]	$REQ_c \cdot F$	20,000	13,000	10,000	5,000	3,000
Maximum WTP per customer [€]	$WTP_c$	3,000	2,200	1,750	900	570
Maximum WTP per SU and customer [€/SU]	$\frac{WTP_c}{F \cdot REQ_c}$	0.15	0.169	0.175	0.18	0.19

Together with experts of IESP, we took these figures to quantify the model parameters. First, individual demands and WTP had to be aggregated to the demand curve. For a monopoly (Varian 2009), the RP equals the maximum individual WTP, and maximum demand is an aggregation of all individual demands, i.e. potential salable SU of relevant clusters are added. Second, we assumed that varying the granularity influences the market, and hence demand curve and its parameters. As we assumed linear progression due to granularity, we had to quantify the maximum demand, reservation prices and costs for minimum (all recent customer clusters C1-C3 are relevant) and maximum (all clusters are relevant) granularity. Based on demand and prices, we could determine modification factors and market parameters<sup>2</sup> as listed in Tab. 3.

---

<sup>2</sup> Due to changing granularity, other customer clusters with different required SU and WTP may become relevant for determining  $\beta$  resulting in another value for  $\beta$ . However,  $\beta$  is kept fixed and these effects were modeled by the factor  $\gamma$  which itself is multiplied with  $\beta$  in the objective function.

**Tab. 3** Parameters of the model

Parameter	Formula	Value
$Q(0)$ [SU]	$\sum_{c=1}^3 N_c \cdot F$	$(1,000 + 1,500 + 2,500) \cdot 20,000 = 100,000,000$
$Q(0.\bar{9})$ [SU]	$\sum_{c=1}^5 N_c \cdot REQ_c \cdot F$	$(1,000 \cdot 1.0 + 1,500 \cdot 0.65 + 2,500 \cdot 0.5 + 3,000 \cdot 0.25 + 4,000 \cdot 0.15) \cdot 20,000 = 91,500,000$
Maximum <b>PR</b> per SU and customer for <b>g=0</b> [€/SU]	$\max(\frac{WTP_c}{F})$	$\frac{3,000}{20,000} = 0.15$
Maximum <b>PR</b> per SU and customer for <b>g=0.<math>\bar{9}</math></b> [€/SU]	$\max(\frac{WTP_c}{F \cdot REQ_c})$	$\frac{570}{20,000 \cdot 0.15} = 0.19$
$\beta$	$\frac{Q(0)}{PR(0)}$	$\frac{100,000,000}{0.15} = 666,666,666$
$PC$ [€]	-	2,600,000
$RC$ [€]	-	400,000
$GC$ [€]	-	175,000
$\eta$	$1 - \frac{Q(0.\bar{9})}{Q(0)}$	$1 - \frac{91,500,000}{100,000,000} = -0.085$
$\gamma$	$\frac{PR(0.\bar{9})}{PR(0)} - 1$	$\frac{0.19}{0.15} - 1 = 0.2667$

Applying the model based on these parameters, it suggests an optimal granularity and a market price, and adherent amount of sold SU<sup>3</sup>.

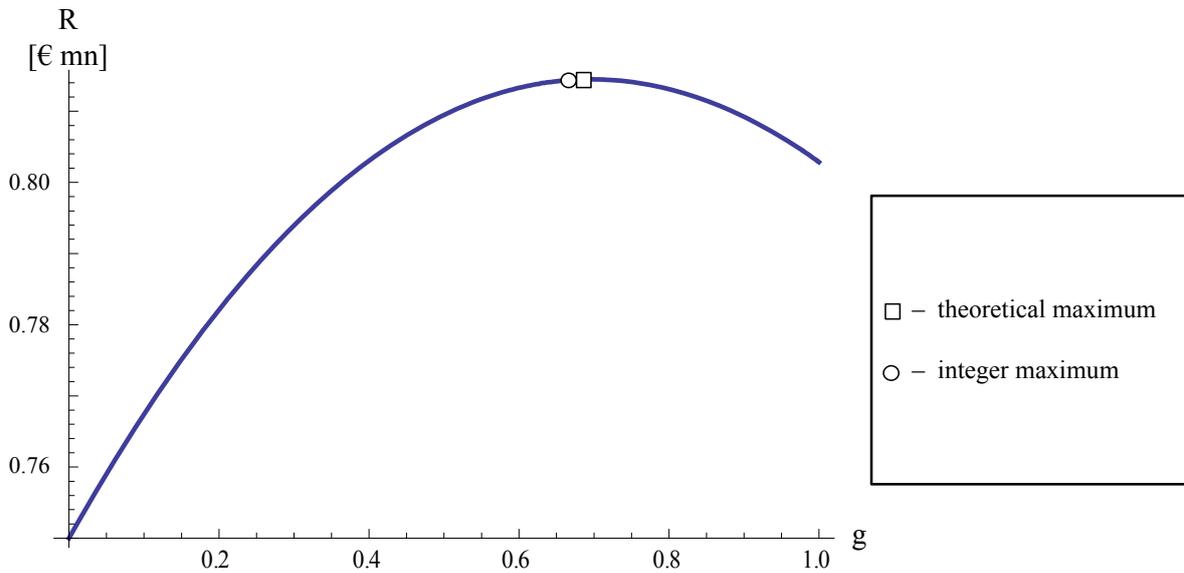
### Optimization

Inserting the parameters of Tab. 3 into equation 15), the optimal degree of granularity can be calculated analytically. Fig. 1 and Tab. 4 show the optimal results with relevant economic data. To show the effects of granularity, we also list the values for no granularity.

<sup>3</sup> Due to characteristics of a monopoly, both market price and sold SU will be lower than maximal RP and demand. Thus, resulting prices and demand may differ from the estimations.

**Tab. 4** Optimization results

g	Return [€]	Income [€]	Costs [€]	Number of Services	Offer share [%]	Sold SU	Price per SU [€]
$g^* = 0.69$	813,788	3,935,021	3,121,233	3.2	31	47,055,777	0.084
$g^*_{int} = 0.667$	813,701	3,930,367	3,116,666	3	34	47,166,666	0.083
g = 0 (no granularity)	750,000	3,750,000	3,000,000	1	100	50,000,000	0.075



**Fig. 1** Graphical representation of the results

First, this result has to be proved for feasibility. Examining the result of  $\hat{g} = 0.69$  (cp. Model Analysis; App. B) reveals that this  $\hat{g}$  is also the optimal theoretical  $g^*$  representing 3.2 services. The next  $g$  with an integer number of services (cp. eq. 4)), which also has the highest return, is  $g^*_{int} = 0.667$  implying the functionality should be split on three services, and now called *integer maximum*. This new allocation causes significant changes in the amount of sold functionality decreasing by 6% and prices attained per SU increasing by 11%. These effects are due to a change in the customer structure. Though, the customer base can be enlarged, the sales volume decreases as services are smaller and more specific and customers only buy required functionality. In the context of this example, the proposed degree of granularity would imply in particular customers of clusters C2 and C3 and limited C4 could be provided with services more specific to their demand. Furthermore, customers' WTP can be better skimmed resulting in higher prices per SU since the offered smaller services are more specific to their demand. This results in higher income. Compared to the origin state, where only a single service was offered, the income increases by € 180,367. The costs only increase by € 116,666. In sum, return would increase by € 63,701 or 8%, respectively.

We can state in the context of this example that a provider can enlarge its return by offering granular services, though the amount of sold functionality may decrease. This positive eco-

nomic effect is due to a win-win setting for customers and provider enabled by granularity: Customers can purchase functionality highly specific to their demand and spend the amount they are willing to pay for required functionality. Providers can realize higher prices per module and enlarge the business value of their functionality. This effect is even enlarged by the characteristics and payment modalities of SaaS, since customers pay per use or per period for a bundle of infrastructure and functionality and do not have to install software on own servers. Therefore, customers are very flexible and variable in costs since they only have little fixed costs for initial investments (Sääksjärvi et al. 2005, p. 183). As the impact of upfront cost decreases, fine grained SaaS functionality is in particular attractive for customers with little or medium demand. Thus, providers should use granularity as instrument to be attractive to new customers and attain higher income.

### 3.3 Model extension – reproduction costs

In this stage, we examine effects of reproduction costs as postulated (cp. Modeling Issue 5). Until now, we assumed fixed reproduction costs. As communication and calculation costs increase with the amount of sold functionality (Lehmann and Buxmann 2009), we replace Assumption 7.1 by:

*Assumption 7.2: Reproduction costs increase linearly with the amount of sold functionality.*

Thus, the more functionality is sold and following customers are acquired, the higher are reproduction costs. They can be calculated as product of costs per single sold SU  $RC_{SU}$  and actual demand.

$$16) C_r(x^*(g)) = RC_{SU} \cdot x^*(g)$$

With this additional assumption, the objective function is now written as follows:

$$17) \quad R(x^*(g), g) = \frac{Q \cdot (1 + \eta \cdot g) - x^*(g)}{\beta} \cdot (1 + \gamma \cdot g) \cdot x^*(g) - PC - GC \cdot g - RC_{SU} \cdot x^*(g) \rightarrow \max!$$

$$0 \leq g < 1$$

This enhancement complicates the return function and now solving the maximization problem analytically is not possible anymore. We have to solve the problem numerically. We implemented and solved equation 17) with the ‘NMaximize’ function of the program ‘Mathematica’.

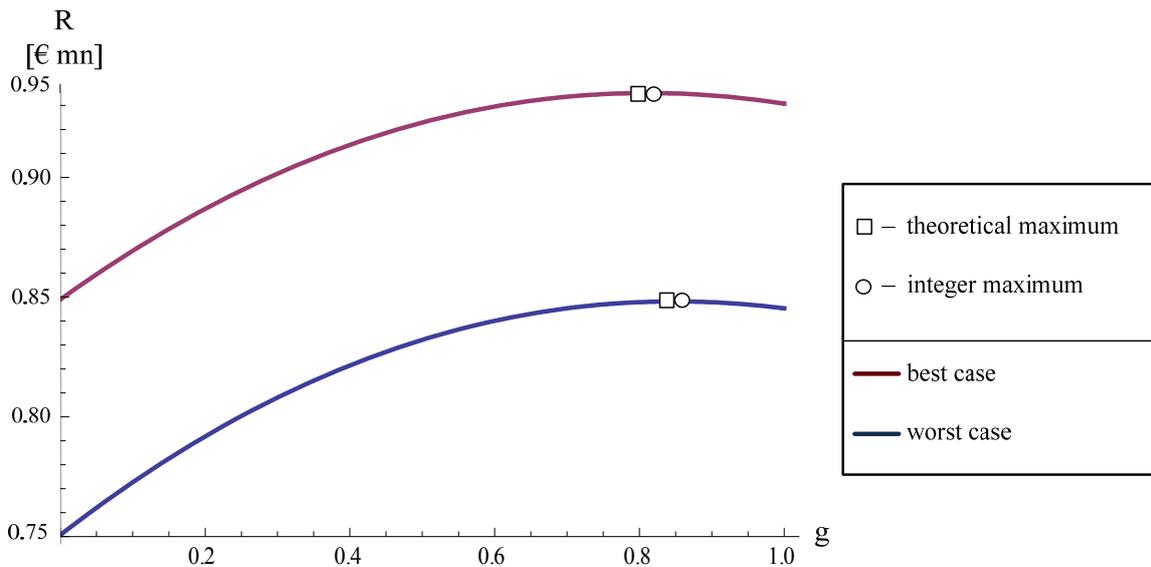
#### ***Operationalization: Continuation of the real world case***

In the previous stage, we underlied fixed reproduction costs of € 400,000. Together with experts of IESP, we analyzed the relevant costs and estimate the maximum reproduction costs, in case the demand would be fully covered, to € 600,000 (best case) or € 800,000 (worst case), respectively. This is resulting in a parameter value for  $RC_{SU}$  of 0.006 or 0.008 [both in €/SU]. To exemplify the effects of reproduction costs, we calculate both cases. Tab. 5 lists the results of the optimization.

**Tab. 5 Optimization results**

$RC_{SU}$ [€SU]	$g$	Return [€]	Income [€]	Total costs [€]	Reproduction costs [€]	Number of Services	Offer share [%]	Sold SU	Price per SU [€]
0.006	$g^* = 0.79$	938,495	3,947,036	3,008,541	269,892	4.8	21	44,982,002	0.088
	$g^*_{int} = 0.8$	938,452	3,948,164	3,009,712	269,712	5	20	44,977,000	0.088
	$g = 0$	850,000	3,750,000	2,900,000	300,000	1	100	50,000,000	0.075
0.008	$g^* = 0.82$	849,162	3,947,692	3,098,530	354,532	5.6	18	44,316,571	0.089
	$g^*_{int} = 0.833$	849,149	3,949,198	3,100,049	354,216	6	17	44,278,300	0.089
	$g = 0$	750,000	3,750,000	3,000,000	400,000	1	100	50,000,000	0.075

Fig. 2 shows the curve progressions and maxima for both scenarios.



**Fig. 2** Graphical representation of the results

As both  $g^*$  are feasible and granularity is also attractive like in the previous section, and even with increases in return up to 13%, we focus in our analysis on one leading question: Which differences occur if reproduction costs are considered (which is usually neglected in models for CSP)? We can see that reproduction costs foster higher granularity and return can also be increased. This is also depicted in Fig. 2 where the maximum of the return curve moves toward higher granularity for both cases. This is for two reasons, reproduction costs decrease with higher granularity, and providers can parallel exploit the value of their services due to higher attainable prices. This is economically sensible as long as the reduction of reproduction costs and the increase in income exceed costs for granularity. Thus, providers should carefully outweigh the characteristics of these factors. By comparing both cases, one can say that

higher reproduction costs result in higher granularity. If a provider has functionality with high data traffic or intensive computations, it might be interesting to reduce reproduction costs by higher specialization of the offer with more granular services. Another aspect is the development of hardware prices which are steadily decreasing resulting in reduced reproduction costs (cp. best case). Here we can state that lower reproduction costs have decreasing effects on the degree of granularity. Summarizing, we have to point out that considering variable reproduction costs for SSP models is of crucial importance. As implication for scholars, we have to point out that reproduction costs cannot be neglected in models for SaaS as done in models for CSP.

#### 4 Discussion on limitations and practical application

The introduced model is based on a set of assumptions. We explain why the model delivers valid results though built on rigid assumptions and discuss how their relaxation can improve practical impact. Furthermore, these limitations at the same time bear extension potential.

We assumed a monopoly as this market form is often employed in theory since it allows a good analysis of effects on the market. Other market forms such as a duopoly or competition are also conceivable as providers may offer similar software and thus have to compete for market shares. Concerning other market forms, it seems that firms having certain market power, e.g. price leaders, may profit from similar effects like a monopolist. In this case, findings may be partially transferred. In contrast, if firms have no influence on the market, transferability of findings is hindered. Thus, other market forms could be subject to further research.

We introduced a rigid assumption that the functionality has to be cut into services of same size. This implies that regarded functionality had to consist of several functional blocks that can be offered independent of each other, whereby cuts have to be made along these blocks. Though in reality, modules are usually not of same size, the model may deliver a guide value which granularity should be chosen for software of concurrent modules. Tab. 6 shall illustrate how the degree of granularity can be mapped to cutting functionality.

**Tab. 6** Interpretation of granularity

Granularity	Description	Number of Services	Interval for g
No granularity	One service comprising all SU.	1	[0.0;0.5[
Low granularity	The functionality is split into its major parts: employee self services, HR management and document management.	2-3	[0.5;0.667[
Medium granularity	Major parts are split up into their main functionalities. For instance, HR management could be split up into employee administration, acquisition, reporting, and payroll.	4-12	[0.667;0.917[
High granularity	The functionality is split into services up to an economically reasonable minimal size.	>12	[0.917;1.0[

A related problem is finding a sufficient size that provides still enough value for customers. For instance, it might be not reasonable to offer functionality which only returns a list of employees. Instead a minimum size would be to combine this listing function at least with time-sheet tracking or expense reports. In sum, though decision makers have to define a minimum size, the model can support them in finding a size equal to or above this defined lower bound.

Increasing granularity is followed by increasing prices. However, customers requesting all functionality would have to pay more with higher granularity, though they would purchase the same amount of functionality. This bears risk of movement of such customers. Including volume discounts for customers requesting all or most functionality may be a starting point for this extension.

The model captures basic effects in an aggregate approach which enabled showing fundamental aspects of the problem in a comprehensible way. But, income and costs may differ from service to service as e.g. some services cause a larger data transfer than others (Boerner and Goeken 2009) or some parts of the functionality have higher demand. In practice, a more detailed analysis with a disaggregation to single services may be appropriate. These parameter estimations based on single services can be aggregated and then employed to our model. Further research could be occupied with other analysis methods such as two-(or more-)part pricing schemes to consider heterogeneity of services.

Finally, we assumed linear changes due to varying granularity. While this allowed a meaningful analysis by an analytical solution, the applicability of linear changes is limited. This is especially true for granularity costs as the number of interfaces may crucially increase (Heinrich and Fridgen 2005). Such an enormous increase would result in exponentially rising costs. In this case, our model would propose a lower degree of granularity compared to linear progression. However, the general form can be easily substantiated with arbitrary realistic, e.g. exponential relations, or with more detailed input data as mentioned in the previous paragraph.

## **5 Conclusion**

SaaS bears much economic potential, but there are only few quantitative decision support models for this uprising provisioning type. In particular, there is a lack of research concerning product differentiation of SaaS. To contribute to fill this gap, we presented a formal approach considering aspects of product differentiation for SaaS, in particular effects on prices, sales volume and costs were considered. Therefore, we discussed applicability of existing CSP versioning models to SaaS and identified modeling issues, in particular that varying the service granularity is a viable instrument of product differentiation for SaaS. Starting out with micro-economic models based on the demand curve, we elaborated which effect varying granularity has on the market and hence on parameters of the demand curve. Then, we included these effects into the parameters of the demand curve and presented a decision model based on this extended demand curve. Furthermore, we included variable reproduction costs which have mostly been neglected in quantitative research so far. Finally, we illustrated our approach with a real world case.

The article formalized concepts of product differentiation for SaaS and should help to establish basic understanding in this area. Thus, our approach provided insights into the economic trade-off between the major influence factors. In analyzing the presented model, relations between these major influence factors and varying a SaaS product could be deducted. Furthermore, the model provides evidence that reproduction costs may have significant influence on granularity and profits. Thus, they should be considered necessarily for SSP models. This is contrary to prior versioning approaches for CSP. Summarizing, the proposed model for

supporting service offering decisions not only formalized this highly relevant decision problem, it can also form the foundation for further research.

## References

- Albani A, Keiblinger A, Turowski K, Winnewisser C (2003) Domain Based Identification and Modelling of Business Component Applications. In: Proceedings ADBIS, 30-45
- Albrecht AJ (1979) Measuring Application Development Productivity. In: Proceedings IBM Applications Development Symposium
- Anderson C (2006) The Long Tail. Hyperion, New York
- Arsanjani A, Ghosh S, Allam A, Abdollah T, Ganapathy S, Holley K (2008) SOMA: A Method for Developing Service-oriented Solutions. IBM Systems Journal 47(3):377-396
- Banker RD, Datar SM, Kemerer CF (1991) A Model to Evaluate Variables Impacting the Productivity of Software Maintenance Projects. Man.Sci. 37(1):1-18
- Benlian A (2009) A Transaction Cost Theoretical Analysis of Software-as-a-service (SAAS)-based Sourcing in SMBS and Enterprise. In: Proceedings 17<sup>th</sup> European Conference on Information Systems, Verona
- Benlian A, Hess T, Buxmann P (2009) Drivers of SaaS-Adoption—An Empirical Study of Different Application Types. Bus. Inf. Syst. Eng. 1(5):357-369
- Bhargava HK, Choudhary V (2001) Information Goods and Vertical Differentiation. J.Manage.Inf.Syst. 18(2):89-106
- Bhargava HK, Sun D (2008) Pricing under Quality of Service Uncertainty: Market Segmentation via Statistical QoS Guarantees. Eur.J.Oper.Res. 191(3):1189-1204
- Boerner R, Goeken M (2009) Identification of Business Services – Literature Review and Lessons Learned. In: Proceedings 15<sup>th</sup> Americas Conference on Information Systems, San Francisco
- Chellappa RK, Shivendu S (2005) Managing Piracy: Pricing and Sampling Strategies for Digital Experience Goods in Vertically Segmented Markets. Information Systems Research 16(4):400-417
- Cheng HK, Tang QC (2010) Free Trial or No Free Trial: Optimal Software Product Design with Network Effects. Eur.J.Oper.Res. 205(2):437-447
- Cheng HK, Tang QC, Zhao JL (2006) Web Services and Service-Oriented Application Provisioning: An Analytical Study of Application Service Strategies. IEEE Trans.Eng.Manage. 53(4):520-533
- Choudhary V, Ghose A, Mukhopadhyay T, Rajan U (2005) Personalized Pricing and Quality Differentiation. Man.Sci. 51(7):1120-1130
- Cremer H, Thisse JF (1991) Location Models of Horizontal Differentiation: A Special Case of Vertical Differentiation Models. The Journal of Industrial Economics 39(4):383-390
- Erl T (2005) Service-Oriented Architecture: Concepts, Technology, and Design. Prentice, Upper Saddle River
- Fan M, Kumar S, Whinston AB (2009) Short-term and Long-term Competition between Providers of Shrink-wrap Software and Software as a Service. Eur.J.Oper.Res. 196(2):661-671

- Gartner (2009) Market Trends: Software as a Service Worldwide 2009-2013
- Ghose A, Sundararajan A (2005) Software Versioning and Quality Degradation? An Exploratory Study of the Evidence. Working Paper, New York University
- Haesen R, Snoeck M, Lemahieu W, Poelmans S (2008) On the Definition of Service Granularity and Its Architectural Impact. In: Proceedings 20<sup>th</sup> International Conference on Advanced Information Systems Engineering, Montpellier, 375-389
- Heinrich B, Fridgen M (2005) Enterprise Application Integration. *BARev.* 65(1):43-61
- Holschke O, Rake J, Levina O (2009) Granularity as a Cognitive Factor in the Effectiveness of Business Process Model Reuse. In: Proceedings 7<sup>th</sup> International Conference on Business Process Management, Ulm
- Jing B (2000) Versioning Information Goods with Network Externalities. In: Proceedings 21<sup>st</sup> International Conference on Information Systems, Brisbane
- Jones C (2007) Estimating Software Costs. McGraw-Hill, New York
- Jones R, Mendelson H (2005) Information Goods: Development, Quality and Competition. Discussion Paper, Stanford University
- Kaplan JM (2007) SaaS: Friend or Foe? *Business Communications Review* 37(6):48-53
- Kim SD, Chang SH (2004) A Systematic Method to Identify Software Components. In: Proceedings 11<sup>th</sup> Asia-Pacific Software Engineering Conference, Busan
- Krafzig D, Banke K, Slama D (2005) Enterprise SOA - Service-Oriented Architecture Best Practices. Prentice, Upper Saddle River
- Lee KB, Yu S, Kim SJ (2006) Analysis of Pricing Strategies for e-business Companies Providing Information Goods and Services. *Comput.Ind.Eng.* 51(1):72-78
- Lehmann S, Buxmann P (2009) Pricing Strategies of Software Vendors. *Bus. Inf. Syst. Eng.* 1(6):452-462
- Mietzner R, Leymann F (2008) Towards Provisioning the Cloud: On the Usage of Multi-granularity Flows and Services to Realize a Unified Provisioning Infrastructure for SaaS Applications. In: Proceedings 2008 IEEE Congress on Services, Hawaii
- Nault BR (1997) Quality Differentiation and Adoption Costs: The Case for Interorganizational Information System Pricing. *Ann.Oper.Res.* 71:115-142
- Papazoglou MP, Traverso P, Dustdar S, Leymann F (2007) Service-oriented Computing: State of the Art and Research Challenges. *IEEE Computer* 40(11):38-45
- Papazoglou MP, van den Heuvel W (2007) Service Oriented Architectures: Approaches, Technology and Research Issues. *The VLDB Journal* 16(3):389-415
- Parnas DL (1972) On the Criteria To Be Used in Decomposing Systems Into Modules. *ComACM* 15(12):1053-1058
- Phillips DE (2009) *The Software License Unveiled: How Legislation by License Controls Software Access.* Oxford University Press, Oxford
- Raghunathan S (2000) Software Editions: An Application of Segmentation Theory to the Packaged Software Market. *J.Manage.Inf.Syst.* 17(1):87-113
- Sääksjärvi M, Lassila A, Nordström H (2005) Evaluating the software as a service business model: From CPU time-sharing to online innovation sharing. In: Proceedings IADIS International Conference e-Society, Malta, 177-186

- Shapiro C, Varian HR (1998) Versioning: The Smart Way to Sell Information. *Harv.Bus.Rev.* 76(6):106-114
- Simon CP, Blume L (1994) *Mathematics for Economists*. Norton, New York
- Susarla A, Barua A, Whinston AB (2009) A Transaction Cost Perspective of the "Software as a Service" Business Model. *J.Manage.Inf.Syst.* 26(2):205-240
- Szyperski CA (1998) Emerging Component Software Technologies - A Strategic Comparison. *Software - Concepts and Tools* 19(1):2-10
- Valente P, Mitra G (2007) The Evolution of Web-based Optimisation: From ASP to e-Services. *Decis.Support Syst.* 43(4):1096-1116
- Varian HR (1997) Versioning Information Goods. Working Paper - University of California, Berkeley
- Varian HR (2000) Buying, Sharing and Renting Information Goods. *The Journal of Industrial Economics* 48(4):473-488
- Varian HR (2009) *Intermediate Microeconomics*. Norton, New York
- Walsh KR (2003) Analyzing the Application ASP Concept: Technologies, Economies, and Strategies. *Commun ACM* 46(8):103-107
- Wang ZJ, Xu X, Zhan D (2005) A Survey of Business Component Identification Methods and Related Techniques. *International Journal of Information Technology* 2(4):229-238
- Weber TA (2001) Mixed Differentiation of Information Goods under Incomplete Information. In: *Proceedings 22<sup>nd</sup> International Conference on Information Systems*, New Orleans
- Weber TA (2008) Delayed Multiattribute Product Differentiation. *Decis.Support Syst.* 44(2):447-468
- Wei X, Nault BR (2006) Vertically Differentiated Information Goods: Entry Deterrence, Rivalry Clear-out or Coexistence. In: *Proceedings 2006 INFORMS Conference on Information Systems and Technology*, Pittsburgh
- Zhang J, Seidmann A (2002) The Optimal Software Licensing Policy under Quality Uncertainty. In: *Proceedings 23<sup>rd</sup> International Conference on Information Systems*, Barcelona
- Zhang Z, Tan Y, Dey D (2009) Price Competition with Service Level Guarantee in Web Services. *Decis.Support Syst.* 47(2):93-104

## Appendix

### A. Relation between the degree of granularity and the actual demand

This appendix contains a detailed derivation of the relation between the degree of granularity and the actual demand.

The actual demand  $x$  and the degree of granularity  $g$  are mathematically dependent, as they are multiplied in the objective function:

$$\text{A}_1) \quad R(x^*(g), g) = \frac{Q \cdot (1 + \eta \cdot g) - x^*(g)}{\beta} \cdot (1 + \gamma \cdot g) \cdot x^*(g) - PC - GC \cdot g - RC \rightarrow \max!$$
$$0 \leq g < 1$$

To allow an analysis and resulting general statements based on an analytical solution, one has to determine a relation  $x^*(g)$  between optimal demand and granularity to option an objective function depending one a single variable. Therefore, the 1<sup>st</sup> partial derivative of the return function (equation 10) in the paper or here A\_1)) with respect to the demand has to be set to 0:

$$\text{A}_2) \quad \frac{\partial R}{\partial x^*(g)} = \frac{(Q \cdot (1 + \eta \cdot g) - 2 \cdot x^*(g)) \cdot (1 + \gamma \cdot g)}{\beta} \stackrel{!}{=} 0 \rightarrow x^*(g)$$

By solving the resulting equation for the regarded case, we receive the return maximizing relation between actual demand and degree of granularity (cp. equations 11) or A\_3)):

$$\text{A}_3) \quad x^*(g) = \frac{Q \cdot (1 + \eta \cdot g)}{2}$$

Finally, this resulting relation has to be checked with the 2<sup>nd</sup> order condition:

$$\text{A}_4) \quad \frac{\partial^2 R}{\partial (x^*(g))^2} = -\frac{2 + 2 \cdot \gamma \cdot g}{\beta} \stackrel{!}{<} 0$$

The 2<sup>nd</sup> order condition is true for the calculated relation, thus it can be used as maximizing relation between actual demand and degree of granularity and further employed in the objective function.

### B. Detailed derivation of the optimal degree of granularity

This appendix contains a detailed derivation of the optimal degree of granularity in case of decreasing maximum demand with increasing granularity (cp. 3.2 – Case 2).

Starting out with the objective function (equation 12)), the possible optimal degree of granularity, which we denote with  $\hat{g}$ , can be calculated over the 1<sup>st</sup> order condition.

$$\text{B}_1) \quad \frac{\partial R}{\partial g} = -\frac{\eta_d \cdot Q^2 \cdot (1 - \eta_d \cdot g) \cdot (1 + \gamma \cdot g)}{2 \cdot \beta} + \frac{\gamma \cdot Q^2 \cdot (1 - \eta_d \cdot g)^2}{4 \cdot \beta} - GC \stackrel{!}{=} 0 \rightarrow \hat{g}$$

Based on the 1<sup>st</sup> derivative, two possible optima can be determined. For reasons of simplicity, we also substitute the parameter  $\eta$  by  $\eta_d = -\eta$  as now all parameters in the following equation are positive and the derivation is easier to follow.

$$\begin{aligned}
 \hat{g}_1 &= \frac{2}{3 \cdot \eta_d} - \frac{1}{3 \cdot \gamma} - \frac{\sqrt{\frac{4}{3} \cdot GC \cdot \beta + \frac{1}{9} \cdot Q^2 \cdot (\eta_d^2 + 2 \cdot \eta_d \cdot \gamma + \gamma^2)}}{\eta_d \cdot \gamma \cdot Q} \quad \wedge \\
 \hat{g}_2 &= \frac{2}{3 \cdot \eta_d} - \frac{1}{3 \cdot \gamma} + \frac{\sqrt{\frac{4}{3} \cdot GC \cdot \beta + \frac{1}{9} \cdot Q^2 \cdot (\eta_d^2 + 2 \cdot \eta_d \cdot \gamma + \gamma^2)}}{\eta_d \cdot \gamma \cdot Q}
 \end{aligned}$$

The next step is to analyze the calculated extrema. As the objective function for this case is a polynomial of 3<sup>rd</sup> degree, there is always one local maximum and one local minimum (Simon and Blume 1994). Thus, to determine a unique return maximum the 2<sup>nd</sup> order condition has to be satisfied for the possible optima  $\hat{g}$  :

$$\text{B}_3) \quad \left. \frac{\partial^2 R}{\partial g^2} \right|_{g = \hat{g}} = -\frac{\eta_d \cdot \gamma \cdot Q^2 \cdot (1 - \eta_d \cdot g)}{\beta} + \frac{\eta_d^2 \cdot Q^2 \cdot (1 + \gamma \cdot g)}{2 \cdot \beta} \stackrel{!}{<} 0$$

As all parameters are positive,  $\hat{g}_2$  is always greater than  $\hat{g}_1$ . By inserting both possible optima into the 2<sup>nd</sup> derivative, one can state that the value of the 2<sup>nd</sup> derivative at  $\hat{g}_2$  is always greater than the value at  $\hat{g}_1$ . According to the 2<sup>nd</sup> order conditions, the local maximum must be situated at the lower value, i.e.  $\hat{g}_1$ , and the local minimum at the greater value, i.e.  $\hat{g}_2$ . Thus, the possible return maximum which has to be examined for feasibility, is:  $\hat{g} = \hat{g}_1$ .

As the decision variable is defined in an interval, the position of the possible maximum has to be proved for feasibility, i.e. lying in  $[0;1[$  or not. This examination be made from the perspective of the number of services ( $0 < M \leq F$ )

$$\begin{aligned}
 &\text{for } \hat{g} \in [0;1[: \quad g^* = \hat{g} \\
 &\text{for } \hat{g} \geq 1: \quad g^* = \lim_{M \rightarrow F^-} g(M) \\
 \text{B}_4) \quad &\text{for } \hat{g} < 0: \quad g^* = 0, \quad \text{if } R(0) \geq R(\lim_{M \rightarrow 1^+} g(M)) \\
 &\quad \quad \quad g^* = \lim_{M \rightarrow F^-} g(M), \quad \text{if } R(0) < R(\lim_{M \rightarrow 1^+} g(M))
 \end{aligned}$$

or the size per service ( $F \geq FS > 0$ )

$$\begin{aligned}
 &\text{for } \hat{g} \in [0;1[: \quad g^* = \hat{g} \\
 &\text{for } \hat{g} \geq 1: \quad g^* = \lim_{FS \rightarrow 1^+} g(FS) \\
 \text{B}_5) \quad &\text{for } \hat{g} < 0: \quad g^* = 0, \quad \text{if } R(0) \geq R(\lim_{FS \rightarrow 1^+} g(FS)) \\
 &\quad \quad \quad g^* = \lim_{FS \rightarrow 1^+} g(FS), \quad \text{if } R(0) < R(\lim_{FS \rightarrow 1^+} g(FS))
 \end{aligned}$$

Now different cases may occur and have to be examined:

If  $\hat{g}$  is situated within the feasible interval, the calculated value is also the return maximum, i.e.  $g^* = \hat{g}$ .

If  $\hat{g} \geq 1$ , i.e. it situated even beyond the maximum feasible granularity, the return maximum is at  $g^* = \lim_{FS \rightarrow 1^+} g(FS) = \lim_{M \rightarrow F^-} g(M)$ . Thus, the maximum granularity should be chosen, i.e. services should be of a minimal size, or a maximum possible number of services should be provided, respectively.

More complex is the case  $\hat{g} < 0$ , as the local maximum occurs at a negative value. Thus, the local minimum  $\hat{g}_2$  may be situated within the feasible interval  $[0;1[$ . Hence, the attainable maximum return occurs either at the lower ( $g^* = 0$ , one service comprising the total functionality) or upper boundary ( $g^* = \lim_{FS \rightarrow 1^+} g(FS) = \lim_{M \rightarrow F^-} g(M)$ , services have an economically reasonable minimum size, maximum possible number of services). Therefore, both points have to be examined and the one with higher return should be selected.